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# Tradeoffs in Selection of CrIS L1b Algorithm

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Overview				

- Provide context for why need inter-instrument stability
- Calibration Equations
- Radiance and O-C bias differences with different calibration equations

Note: (a) We are talking about really small B(T) differences here, and (b) Both approaches are technically valid (in my opinion) but serve different purposes.

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Overview				

## **Climate Context**

- Fundamental records are the L1(b/c/d) radiances
- NASA is asking for an AIRS + JPSS(1-4)-CrIS climate record
- We must somehow reconcile radiance differences among these instruments at the 0.01K/year level

### Possible Approaches

- Do nothing. "Merge" L2 from different instruments with different RTAs. How? Errors?
- Convert AIRS L1c to CrIS ILS and do retrievals with a consistent L1b record and single RTA.
- Produce popular climate records (L3 trends and anomalies) directly from trends and anomalies in merged radiance record

Use SNO's to adjust inter-instrument radiance offsets.

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Instrument Stability						

- Hyperspectral IR should be able to provide climate trends of T and Q with unprecedented accuracy and vertical resolution (but may compete with GPSRO).
- Comparisons of AIRS, IASI, and CrIS radiances trends (clear-sky subset over ocean) to independently available CO<sub>2</sub> and SST trends indicate stability well less than 0.01K/year for these instruments (with some minor caveats for AIRS).







**Note:** This figures shows that we can use a "third party" (IASI) to connect AIRS to CrIS.

CNES recently showed that understood errors in their non-linearity corrections are largely responsible for the CrIS-IASI differences!





Mainly note small standard error in offsets. Due to large number of observations, probably more work needed to fully characterise uncertainties (scene dependence).

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Basic Me	essage			

- Instrument stability is high, overlap can be well characterized
- Climate trending requires 0.01K/year or lower relative accuracy
- Radiance trends can be converted into accurate geophysical trends
- Small shifts matter

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## CrIS L1b Calibration Equations

#### **Calibration Equation Definitions**

For this talk the term "UMBC" denotes the CCAST reference calibration equation while "NOAA" refers to the proposed JPSS-1 (and NASA NPP?) calibration equation. Univ. Wisc. is adding more refinements to this with changes to interferograms after Nov 2015.

UMBC:

$$\mathbf{r}_{\text{ES}} = \mathbf{F} \cdot \mathbf{f} \cdot \mathbf{S} \mathbf{A}^{-1} \cdot \mathbf{f} \cdot (\mathbf{S} \mathbf{A} \cdot \mathbf{r}_{\text{ICT}}) \frac{\mathbf{E} \mathbf{S} - \langle \mathbf{S} \mathbf{P} \rangle}{\langle \mathbf{I} \mathbf{C} \mathbf{T} \rangle - \langle \mathbf{S} \mathbf{P} \rangle}$$

NOAA-C4:

$$r_{\rm ES} = r_{\rm ICT} \frac{F \cdot f \cdot SA^{-1} \cdot f \cdot \left\{\frac{\Delta S_1}{\Delta S_2} \cdot \Delta |S_2|\right\}}{F \cdot f \cdot SA^{-1} \cdot f \cdot |\Delta S_2|}$$

$$\Delta S_1 = FIR^{-1}(ES - \langle SP \rangle), \quad \Delta S_2 = FIR^{-1}(\langle ICT \rangle - \langle SP \rangle)$$

- *r*ES is calibrated earth-scene radiance at the user grid
- F is resampling from sensor to user grid
- $r_{ICT}$  is the expected ICT radiance (incorrect in NOAA-C4)
- *f*, UMBC: is a raised-cosine bandpass filter with wings at or inside the instrument responsivity, NOAA: modified ATBD filter
- SA, UMBC: Periodic sinc ILS wrapping at the sensor grid, NOAA: Periodic sinc wrapping at the undecimated sensor grid.
- Non-linearity corrections are included
- $\langle SP \rangle$  and  $\langle ICT \rangle$  are averages over 9 scans

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The Essential Difference: (Note SA<sup>-1</sup> Corrections are BIG) Simplified Math to Illustrate (not technically correct)

UMBC: 
$$SA^{-1}(r_{ICT}\frac{\Delta S_1}{\Delta S_2}) = SA^{-1}(r_{ICT}\frac{ES - \langle SP \rangle}{\langle ICT \rangle - \langle SP \rangle})$$
  
NOAA-C4:  $r_{ICT}\frac{SA^{-1}(\Delta S_1)}{SA^{-1}(\Delta S_2)}$ 

- NOAA-C4 is a new approach, not used in the past.
- NOAA-C4 applies apodization correction operator to signal counts, so includes shape of instrument spectral filtering
- UMBC applies apodization correction operator to calibrated radiance

#### Implications

- NOAA-C4
  - Minimizes 650 cm<sup>-1</sup> band-edge ringing
  - "Requires" instrument filter function to be used in RTA
  - Does not formally return a sinc ILS
- UMBC
  - Produces some 650 cm<sup>-1</sup> ringing
  - We think gives better Obs-Cal in the water band
  - RTA for any instrument filter shape is sinc ILS





One row of  $SA^{-1}$  centered at 1402.46 cm<sup>-1</sup>. The corrected radiance for 1402.46 cm<sup>-1</sup> is the sum of element-by-element product of this row of  $SA^{-1}$  times the observed instrument radiance (or counts).













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Some Observations						

- NOAA-C4
  - $r_{calc} = (1/P_r) FFT^{-1}(OPD) FFT P_r r_{mono}$
  - $P_r$  is instrument responsivity ( $\Delta S_2$ )
  - $r_{calc}$  needs  $P_r$  (and is not a sinc ILS (my opinion))
  - Ps changes slightly with iFOV, instrument, temperature
- Standard Approach (UMBC)
  - $r_{calc} = FFT^{-1}(OPD) FFT f_{bandpass} r_{mono}$

NOAA approach: apodization corrections mix in fine structure of spectrum with different amplitudes, OK since same done in  $r_{calc}$ . Not a sinc ILS>

Standard (UMBC) approach provides sinc ILS up to issues of out-of-band signal (which are pt-by-pt oscillations).

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## L1b Spectra are Different!



Extra 650 cm<sup>-1</sup> ringing in normal UMBC approach.



Wavenumber (cm<sup>-1</sup>) Each measurement used the RTA appropriate for the L1b calibration equation used to calibrate the radiances. This all-fov average minimizes problems with UMBC 650 cm<sup>-1</sup> ringing that varies with FOV ID!!

-0.3 -0.4 





These average over all 9 FOVS, which minimizes UMBC ringing errors near 650  $\rm cm^{-1}.$ 









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Conclus	ions			

- New approach could modify radiances if follow-on CrIS instruments have different shape to filters (or the present one changes)
- Differences in ringing between both approachs is very small if Hamming apodized
- Different RTA needed for each instrument
- ILS no longer strictly sinc (or sinc with simple overall bandpass)
- Trending at the 0.01K level over many years could be compromised.
- Ability to convert AIRS radiance to CrIS radiance *may* be harder with NOAA-C4 since we do spectral space convolutions.

Main lien of UMBC approach is some ringing at 650-670  $\rm cm^{-1}$ . However that is suppressed with Hamming.

NOAA-C4 is a new approach, technically valid, but ties the RTA to the instrument responsivity, which I think is inappropriate for a radiance climate product.